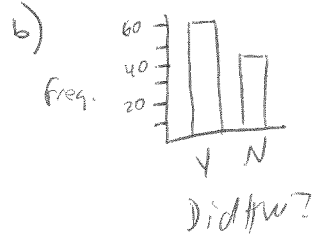
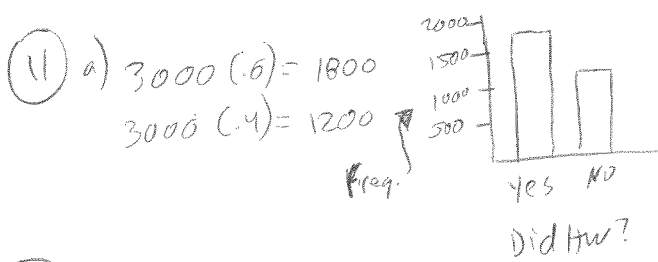


Stats Ch 7 A 1, 3, 5, 7

	<u>Pop.</u>	<u>parameter</u>	<u>Sample</u>	<u>Statistic</u>
①	people who signed card	proportion of those signing who quit.	Rand. Sample of 1000 who signed cards	$\hat{p} = .21$
③	All-turkey Meat.	Min. temp	4 points in turkey (hard)	Sample minimum = 170°F
⑤	pop. param. $\mu = 2.5003$			sample statistic $\bar{x} = 2.5009$
⑦	pop. param. $p = .52$			Samp. stat. $\hat{p} = .48$

- (9) Not a sampling distr., it is NOT all possible samples of size 100  
 a) there would be more than 250. this is an approx. distr.  
 b) Center: .6  
 shape: sym. bell shaped  
 spread: .47 to .74  
 outliers: .47, .73, .74  
 c) If our sample  $\hat{p} = .45$  we would be skeptical of the .6 claim  
 none in sample distr were this low.



- (13)  $\mu = 50$   $\sigma = 3$   $N = 10$   
 a) Center:  $90^\circ F^2$   
 shape: skewed right  
 spread: 2 to 27.5  
 outliers: 27.5, maybe 24

- b) 25 is too big.  
 Only 1 is this large in simulation  
 out of 500.  
 Manufacturer's claim prob. false

- (17)  $2000 \times 10 = 20,000$  this is less than ~~population~~ the pop. so the  
 variability of the sample will be the same for  
 all states. ( $N$  same for all states)  
 a)  
 b) Yes ~~variability~~  
 $N$  is much larger in Calif than Wyo. so var will be less in  
 Calif.

- (18) a) NO - think of the targets  
 b) Yes

- (19) a) unbiased: B & C Note: the book says B is biased  
 b) Best: B

- (20) a)  $\bar{x}$  close to  $\mu$   
 b) More info = more precision, decreased variability  
 Law of Large Numbers.

Stats 7-2 C 21-24, 27, 29, 33, 35, 37, 41

(21) D

(22) E

(23) C

(24) B

(27) a)  $\hat{p} = \frac{8}{25} = .32 \rightarrow$  not too surprising, this occurs in the simulation

$\hat{p} = \frac{3}{25} = .12 \rightarrow$  surprising, this is very rare in simulation

b)  $n=50$  more surprising because variability should decrease as  $n \uparrow$

(29)  $n=25$   $p=.45$

a)  $\mu_{\hat{p}} = p = .45$

b)  $\sigma_{\hat{p}} = .0995$

$10 \cdot 25 = 250$   $N$  will be more so  $\sigma_{\hat{p}}$  is ok

c)  $np = (25)(.45) = 11.25$   
 $n(1-p) = 25(.55) = 13.75$  } Both more than 10 so it will be Normally Distr.

d)  $\sigma_{\hat{p}} = .0704$  less variable

(33) Normal Rules not Met

$np = 15(.3) = 4.5$  - not over 10

(35)

$n = 1012$

$\hat{p} = .67$   $p = .7$

a)  $\mu_{\hat{p}} = p = .7$

b)  $\sigma_{\hat{p}} = .0144$  note: use  $p$  not  $\hat{p}$   
pop of US over 10120 ✓

c)  $np = 1012 \cdot .7 = 708.4$   
 $n(1-p) = 1012 \cdot .3 = 303.6$  } over 10 ✓

d) Normal  $p(x \leq .67) = .0186$  this is quite low

(37)

$$\sigma_{\hat{p}} = \sqrt{\frac{p(1-p)}{n}}$$

$$\frac{1}{2} \text{ of } .0144 = .0072$$

$$.0072 = \sqrt{\frac{.7(1-.7)}{n}}$$

$$.00005184 = \frac{.7(.3)}{n} \quad n = 4051$$

\* Book has 4048 a dif. way.

(41)

$p = .9$   $n = 100$   $n \cdot 10 = 1000$  ok

a)  $.9(100) = 90$  } ok  $\mu_{\hat{p}} = .9$   $\sigma_{\hat{p}} = .03$   
 $.1(100) = 10$  } Normal  $p(x \leq .86) = .09$

b) Not too rare at 9% that we are certain that the 90% claim is wrong.

Stats 7-3 D 43-46, 49, 51, 53, 55

43)  $p = .3$   $n = 750$   $10n = 7500 \checkmark$   $750(.3) = 225 \checkmark$   $750(.7) = 525 \checkmark$

43) B  $\hat{p} = p = .3$

44) C  $\sigma_{\hat{p}} = \sqrt{\frac{.3 \cdot .7}{750}} = .017$

45) B at  $n = 375$   $\sigma_{\hat{p}} = .024$

46) B

OR  $\sqrt{\frac{.3 \cdot .7}{750}} x = \sqrt{\frac{.3 \cdot .7}{375}}$   
 $\frac{\sqrt{.21}}{\sqrt{750}} x = \frac{\sqrt{.21}}{\sqrt{375}}$   
 $x = \frac{\sqrt{.21}}{\sqrt{375}} \cdot \frac{\sqrt{750}}{\sqrt{.21}} = \sqrt{\frac{750}{375}} = \sqrt{2}$   
 $\frac{.024}{.017} x = .024$   
 $x = 1.412 = \sqrt{2}$

49)  $N = 10,000$  Skewed R  $\mu = 225s$   $\sigma = 60s$   
 SRS of  $n = 10$

$\mu_{\bar{x}} = \mu = 225s$

$\sigma_{\bar{x}} = \frac{\sigma}{\sqrt{n}} = \frac{60}{\sqrt{10}} = 18.974 \text{ sec.}$

51)  $30 = \frac{60}{\sqrt{n}}$   $30\sqrt{n} = 60$   $\sqrt{n} = 2$   $n = 4$  50195

53) a)  $\mu = 188$   $\sigma = 41$  (mg/dL) SRS  $n = 100$

Shape: Normal since pop dist. is Normal

Center:  $\mu_{\bar{x}} = \mu = 188 \text{ mg/dL}$

Spread:  $\sigma_{\bar{x}} = \frac{41}{\sqrt{100}} = 4.1 \text{ mg/dL}$

b)  $188 + 3 = 191$   $188 - 3 = 185$   $P(185 \leq \bar{x} \leq 191) = P(-.731 \leq z \leq .731) = .5357$

AP STAT pgm

c) New  $\sigma_{\bar{x}} = \frac{41}{\sqrt{1000}} = 1.3$   
 $P(185 \leq \bar{x} \leq 191) = P(-2.31 \leq z \leq 2.31) = .979$

Better because  $\bar{x}$  will be more precise as  $n$  increases

55)  $\mu = 298 \text{ ml}$   $\sigma = 3 \text{ ml}$  Normal pop.

a)  $P(x < 295) = P(z < -1) = .1587$

b)  $n = 6$   $\mu_{\bar{x}} = 298$   $\sigma_{\bar{x}} = \frac{3}{\sqrt{6}} = 1.225$

$P(\bar{x} < 295) = P(z < -2.448) = .0071$

57) NO - the histo. of the sample means will look Normal  
the histo. of the sample values will match the pop histo.

59)  $N = 10,000$  skewed Right  $\mu = 225$  sec.  $\sigma = 60$  sec.

a) Since pop is NOT Normal, the dist. of  $\bar{x}$  should be over 30 to be considered Normal.

b)  $n = 36$  - over 30, use Normal!

$$\mu_{\bar{x}} = 225 \quad \sigma_{\bar{x}} = \frac{60}{\sqrt{36}} = 10 \quad P(\bar{x} > 240) = P(Z > 1.5) = .067$$

\*  
Common  
AP Q

61)  $\mu = 190$   $\sigma = 35$   $n = 30$

a) pop is NOT Normal - this is for 1 value, not  $\bar{x}$

b)  $6000 / 30 = 200$  ← In order to have total wght over 6000, then  $\bar{x}$  would have to be over 200.

$$\mu_{\bar{x}} = 190 \quad \sigma_{\bar{x}} = \frac{35}{\sqrt{30}} = 6.39 \quad \text{Normal since } n > 30$$

$$P(\bar{x} > 200) = P(Z > 1.56) = .0588$$

About 6% chance total wght exceeds 6000

63)  $\mu = 250$   $\sigma = 300$  Skewed Right

$N = 10,000$  10% condition met, there are more than 100,000 total home owners

$$\mu_{\bar{x}} = 250 \quad \sigma_{\bar{x}} = \frac{300}{\sqrt{10000}} = 3$$

$$P(\bar{x} > 275) = P(Z > 8.333) = 0$$

Very unlikely for  $\bar{x} > 275$

65) Normal  $\mu = 515$   $\sigma = 114$   $n = 100$

A

66) C

67)  $n = 219$   $\bar{x} = 810$  B

68) D

C is true for  $\mu$ , not mean of  $\bar{x}$   
Note Dis CLT, not bias definition